

Three-Dimensional Morphology of Vortex Interfaces Driven by Rayleigh-Taylor or Richtmyer-Meshkov Instability

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We study the 3D topology of Rayleigh-Taylor (RT) and Richtmyer-Meshkov (RM) single-modes, which includes bubbles, jets and saddle points. For the first time, we present an analytic description of the interface as a whole, for arbitrary time-dependent acceleration $g(t)$. In the simplest cases we have $g(t) = \text{const}$ (the RT case) or $g \propto \delta(t)$ (the RM case). Previous studies deal with bubbles mainly or are restricted to 2D cases. The dependence of morphology on the lattice - hexagonal, square or triangular - of bubbles are investigated. In the case of a large density ratio, the triangular packing of bubbles produces jets well separated from each other while, in the hexagonal case, jets are connected by liquid sheets. Finally, we compare our analytic results to numerical simulations.